

**University of Asia Pacific**  
**Department of Civil Engineering**  
**Final Examination Spring 2012**  
**Program: B.Sc. Engineering (Civil)**

Course Title : Mechanics of Solids II  
 Time : 3 hour

Course Code: CE 213  
 Full Marks : 10x10=100

(There are 14 questions. Answer any 10.)

1. If the section shown in Fig. a is subjected to a 10 kN-m torque, calculate the magnitude of maximum shear stress in that section. Also calculate the depth and width (B) of the section in Fig. b that has the same maximum shear stress when subjected to the same torque.

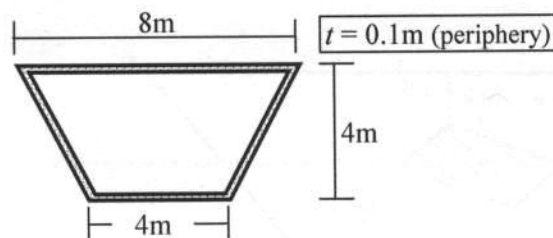


Fig. a

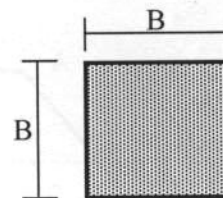
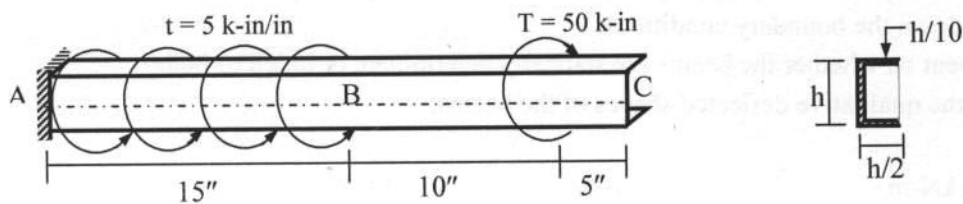
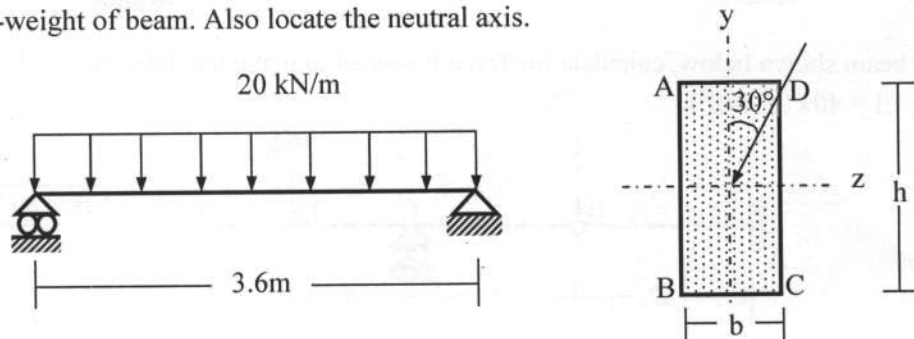


Fig. b

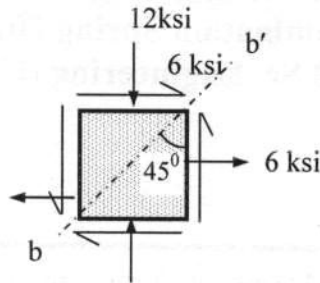
2. Calculate the required depth (h) of the channel section shown below if the allowable shear stress in beam ABC is 12 ksi and the allowable angle of twist is  $1^\circ$  [Given:  $G = 12000$  ksi].



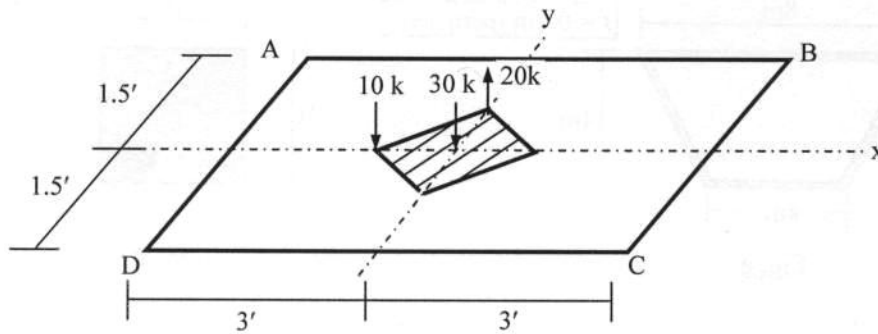
3. A simple beam with depth to width ratio of 2:1 (i.e.  $h=2b$ ) has a span of 3.6 m and carries a UDL of 15 kN/m as shown below. The loading plane is inclined  $30^\circ$  clockwise with vertical. Determine the required dimension (b & h) so that the maximum stress due to bending does not exceed 12 MPa. Neglect self-weight of beam. Also locate the neutral axis.



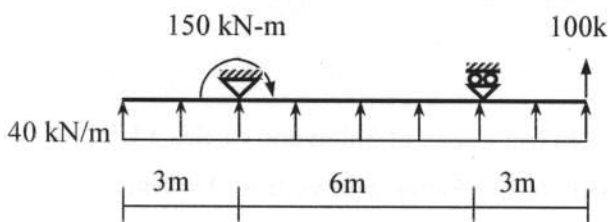
4. Using Mohr's circle of transformation of stress or stress transformation formula determine the normal and shear stresses on plane b-b' along with the principle and maximum shear stress.



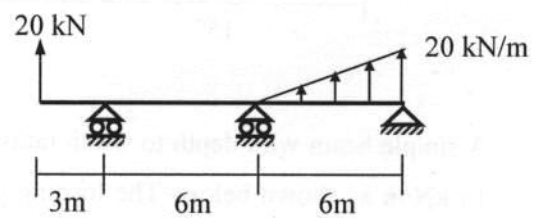
5. a) What do you mean by 'Kern' of a footing?  
 b) The shaded area shown below represents the kern of the rectangular footing ABCD. For the given loads calculate the normal stresses at A, B, C and D.



6. For the beams shown below,  
 a) Write the expression for loading function  $w(x)$  using singularity functions.  
 b) Write down the boundary conditions.  
 c) Comment on whether the beams are statically determinate or indeterminate.  
 d) Draw the qualitative deflected shapes of the beams.

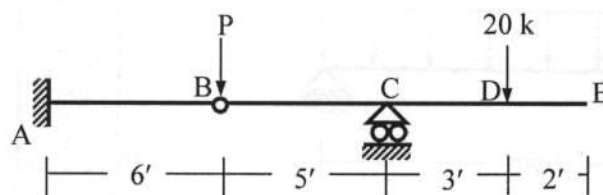


Beam 1



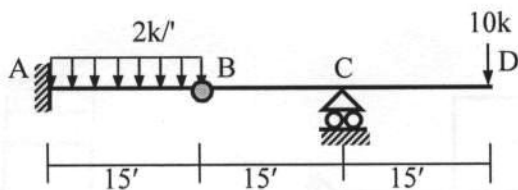
Beam 2

7. For the beam shown below, calculate the force  $P$  needed to make the deflection at B equal to zero [Given:  $EI = 40 \times 10^3 \text{ k-ft}^2$ ].

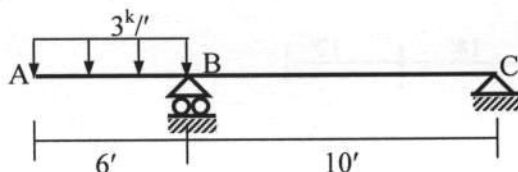


B is an Internal Hinge

8. Use singularity function method to calculate the deflection at D of the beam shown below.

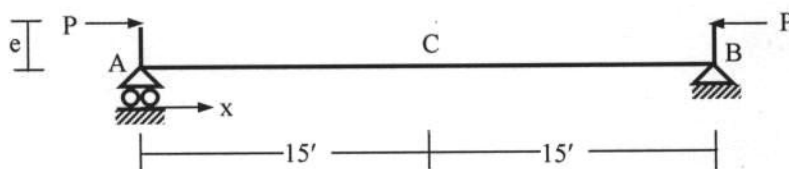


9. Calculate  $v_A$  using the moment-area theorems for the following figure [Given,  $EI_{AB} = 40,000\text{ k-ft}^2$ ,  $EI_{BC} = 20,000\text{ k-ft}^2$ ].

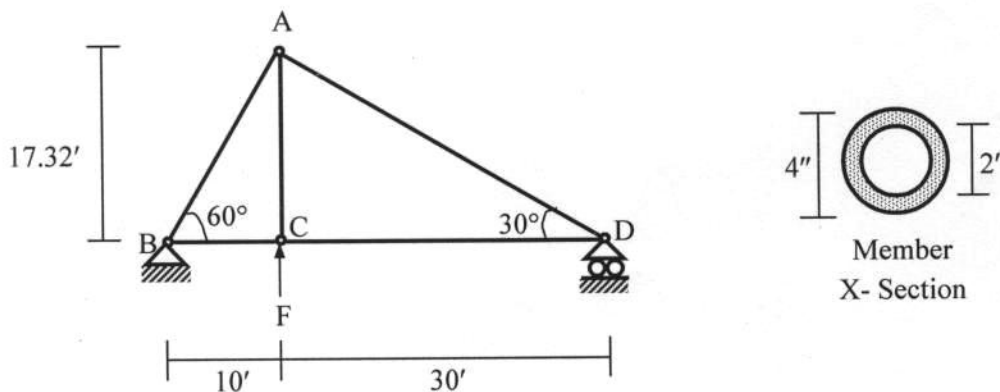


10. Answer Question 9 using the Conjugate Beam Method.

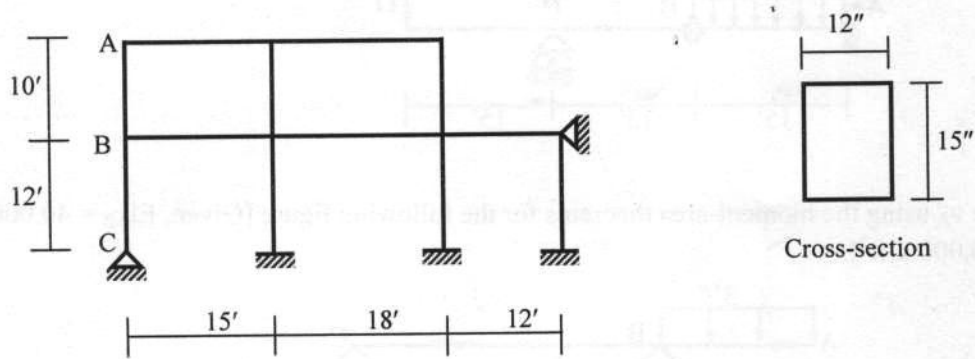
11. The beam ACB shown below is subjected to compressive loads (P) applied at both ends at an eccentricity of 'e'. If the deflection at C for  $P = 100\text{ kips}$  is  $1''$ , calculate the value of 'e' and the deflection at C for  $P = 200\text{ kips}$  [Given:  $EI = 4 \times 10^6\text{ k-in}^2$ ].



12. Use the AISC-ASD criteria to calculate the allowable value of F to avoid buckling of any member of the truss shown below [Given: Member cross-section is as shown, with  $E = 29000\text{ ksi}$ ,  $f_y = 40\text{ ksi}$ ].



13. Calculate the Euler loads for columns AB and BC in the frame shown below [Given:  $E = 3000$  ksi,  $EI = \text{constant}$ ].



14. Prove the Euler formula of critical load for slender column and state the assumptions used for deriving the formula.